Package 'EMC2'

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Title Bayesian Hierarchical Analysis of Cognitive Models of Choice

Version 2.0.2

Description Fit Bayesian (hierarchical) cognitive models

using a linear modeling language interface using particle metropolis Markov chain Monte Carlo sampling with Gibbs steps. The diffusion decision model (DDM), linear ballistic accumulator model (LBA), racing diffusion model (RDM), and the lognormal race model (LNR) are supported. Additionally, users can specify their own likelihood function and/or choose for non-hierarchical estimation, as well as for a diagonal, blocked or full multivariate normal group-level distribution to test individual differences. Prior specification is facilitated through methods that visualize the (implied) prior. A wide range of plotting functions assist in assessing model convergence and posterior inference. Models can be easily evaluated using functions that plot posterior predictions or using relative model comparison metrics such as information criteria or Bayes factors. References: Stevenson et al. (2024) [<doi:10.31234/osf.io/2e4dq>](https://doi.org/10.31234/osf.io/2e4dq).

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Encoding UTF-8

RoxygenNote 7.3.2

Suggests test that $(>= 3.0.0)$, vdiffr

Config/testthat/edition 3

Imports abind, coda, corpcor, graphics, grDevices, magic, MASS, matrixcalc, rtdists, methods, msm, mvtnorm, parallel, stats, Matrix, Rcpp, Brobdingnag, corrplot, colorspace, psych, utils, lpSolve

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Contents

Description

Augments parameter matrix or vector p with constant parameters (also used in data)

Usage

add_constants(p, constants)

Arguments

Value

a matrix or vector, depending on input, with the varying parameters and constants combined.

auto_burn *Runs burn-in for emc.*

Description

Special instance of run_emc, with default arguments specified for completing burn_in. Will run both preburn and burn.

Usage

```
auto_burn(
  emc,
 preburn = 150,
 p_{\text{accept}} = 0.8,
  step_size = 100,
 verbose = FALSE,
  verboseProgress = FALSE,
  fileName = NULL,
  stop_criteria = NULL,
 particles = NULL,
 particle_factor = 50,
  cores_per_chain = 1,
  cores_for_chains = length(emc),
 max\_tries = 20,
 n_blocks = 1
\mathcal{L}
```
Arguments

chain_n 5

Value

An emc object

chain_n *chain_n()*

Description

Returns a matrix with the number of samples per chain for each stage that is present in the emc object (i.e., preburn, burn, adapt, sample). The number of rows of the matrix reflects the number of chains and the number of columns the number of sampling stages.

Usage

```
chain_n(emc)
```
Arguments

emc A list, the output of fit().

Value

A matrix

Examples

chain_n(samples_LNR)

check.emc *Convergence checks for an emc object*

Description

Runs a series of convergence checks, prints statistics to the console, and makes traceplots of the worst converged parameter per selection.

Usage

```
## S3 method for class 'emc'
check(
  emc,
  selection = c("mu", "sigma2", "alpha"),
 digits = 3,
 plot_worst = TRUE,
  ...
)
check(emc, ...)
```
Arguments

Details

Note that the Rhat is calculated by doubling the number of chains by first splitting chains into first and second half, so it also a test of stationarity.

Efficiency of sampling is indicated by the effective sample size (ESS) (from the coda R package). Full range of possible samples manipulations described in get_pars.

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Value

a list with the statistics for the worst converged parameter per selection

Examples

check(samples_LNR)

compare *Information criteria and marginal likelihoods*

Description

Returns the BPIC/DIC or marginal deviance (-2*marginal likelihood) for a list of samples objects.

Usage

```
compare(
  sList,
  stage = "sample",
  filter = NULL,
  use_best_fit = TRUE,
 BayesFactor = TRUE,
  cores_for_props = 4,
  cores_per_prop = 1,
 print_summary = TRUE,
  digits = 0,
  digits_p = 3,
  ...
\mathcal{L}
```
Arguments

Value

Matrix of effective number of parameters, mean deviance, deviance of mean, DIC, BPIC, Marginal Deviance (if BayesFactor=TRUE) and associated weights.

Examples

```
## Not run:
# Define a list of two (or more different models)
# Here the full model is an emc object with the hypothesized effect
# The null model is an emc object without the hypothesized effect
design_full <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Now without a ~ E
design_null <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~1, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
full_model <- make_emc(forstmann, design_full)
full_model <- fit(full_model)
null_model <- make_emc(forstmann, design_null)
null_model <- fit(null_model)
sList <- list(full_model, null_model)
# By default emc uses 4 cores to parallelize marginal likelihood estimation across proposals
# So cores_per_prop = 3 results in 12 cores used.
compare(sList, cores_per_prop = 3)
```
End(Not run)

compare_MLL *Calculate a table of model probabilities based for a list of samples objects based on samples of marginal log-likelihood (MLL) added to these objects by run_IS2. Probabilities estimated by a bootstrap ath picks a vector of MLLs, one for each model in the list randomly with replacement nboot times, calculates model probabilities and averages*

compare_subject 9

Description

Calculate a table of model probabilities based for a list of samples objects based on samples of marginal log-likelihood (MLL) added to these objects by run_IS2. Probabilities estimated by a bootstrap ath picks a vector of MLLs, one for each model in the list randomly with replacement nboot times, calculates model probabilities and averages

Usage

```
compare_MLL(mll, nboot = 1e+05, digits = 2, print_summary = TRUE)
```
Arguments

Value

Vector of model probabilities with names from samples list.

compare_subject *Information criteria for each participant*

Description

Returns the BPIC/DIC based model weights for each participant in a list of samples objects

Usage

```
compare_subject(
  sList,
  stage = "sample",
  filter = 0,
  use_best_fit = TRUE,
 print_summary = TRUE,
  digits = 3)
```
Arguments

Value

List of matrices for each subject of effective number of parameters, mean deviance, deviance of mean, DIC, BPIC and associated weights.

Examples

```
## Not run:
# Define a list of two (or more different models)
# Here the full model is an emc object with the hypothesized effect
# The null model is an emc object without the hypothesized effect
design_full <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Now without a ~ E
design_null <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~1, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
full_model <- make_emc(forstmann, design_full)
full_model <- fit(full_model, cores_for_chains = 1)
null_model <- make_emc(forstmann, design_null, cores_for_chains = 1)
null_model <- fit(null_model)
sList <- list(full_model, null_model)
compare_subject(sList)
# prints a set of weights for each model for the different participants
# And returns the DIC and BPIC for each participant for each model.
## End(Not run)
```


Description

Similar to contr.helmert, but then scaled to estimate differences between conditions. Use in design().

Usage

contr.anova(n)

Arguments

n An integer. The number of items for which to create the contrast

Value

A contrast matrix.

Examples

```
{
design_DDMaE <- design(data = forstmann,model=DDM, contrasts = list(E = contr.anova),
formula =list(v~S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
constants=c(s=log(1)))
}
```
contr.bayes *Contrast to enforce equal prior variance on each level*

Description

Typical contrasts impose different levels of marginal prior variance for the different levels. This contrast can be used to ensure that each level has equal marginal priors (Rouder, Morey, Speckman, & Province; 2012).

Usage

```
contr.bayes(n)
```
Arguments

n An integer. The number of items for which to create the contrast

Value

A contrast matrix.

Examples

```
{
design_DDMaE <- design(data = forstmann,model=DDM, contrasts = list(E = contr.bayes),
formula =list(v~S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
constants=c(s=log(1)))
}
```
contr.decreasing *Contrast to enforce decreasing estimates*

Description

Each level will be estimated as a reduction from the previous level

Usage

```
contr.decreasing(n)
```
Arguments

n an integer. The number of items for which to create the contrast.

Value

a contrast matrix.

Examples

```
{
design_DDMaE <- design(data = forstmann, model=DDM, contrasts = list(E = contr.decreasing),
formula =list(v~S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
constants=c(s=log(1)))
}
```


contr.increasing *Contrast to enforce increasing estimates*

Description

Each level will be estimated additively from the previous level

Usage

```
contr.increasing(n)
```
Arguments

n an integer. The number of items for which to create the contrast.

Value

a contrast matrix.

Examples

```
{
design_DDMaE <- design(data = forstmann, model=DDM, contrasts = list(E = contr.increasing),
formula =list(v~S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
constants=c(s=log(1)))
}
```
credible.emc *Posterior credible interval tests*

Description

Modeled after t.test, returns the credible interval of the parameter or test and what proportion of the posterior distribution (or the difference in posterior distributions in case of a two sample test) overlaps with mu. For a one sample test provide x and for two sample also provide y. Note that for comparisons within one model, we recommend using hypothesis() if the priors were well chosen.

Usage

```
## S3 method for class 'emc'
credible(
 x,
  x_name = NULL,
  x_ffun = NULL,
  x_fun_name = "fun",selection = "mu",
```

```
y = NULL,y_name = NULL,
 y_fun = NULL,
 y_fun_name = "fun",x_subject = NULL,
 y_subject = NULL,
 mu = 0,
 alternative = c("less", "greater")[1],
 probs = c(0.025, 0.5, 0.975),
 digits = 2,
 p_digits = 3,
 print_table = TRUE,
  ...
\mathcal{L}
```
credible(x, ...)

Arguments

Value

Invisible results table with no rounding.

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Examples

```
## Not run:
# Run a credible interval test (Bayesian ''t-test'')
# Here the full model is an emc object with the hypothesized effect
design_full <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
full_model <- make_emc(forstmann, design_full)
full_model <- fit(full_model)
credible(full_model, x_name = "v")# We can also compare between two sets of emc objects
# Now without a \sim E
design_null <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~1, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
null_model <- make_emc(forstmann, design_null)
null_model <- fit(null_model)
credible(x = null_model, x_name = "a", y = full_model, y_name = "a")# Or provide custom functions
credible(x = full_model, x_fun = function(d) d["a_Eaccuracy"] - d["a_Eneutral"])
## End(Not run)
```
DDM *The Diffusion Decision Model*

Description

Model file to estimate the Diffusion Decision Model (DDM) in EMC2.

Usage

DDM()

Details

Model files are almost exclusively used in design().

Default values are used for all parameters that are not explicitly listed in the formula argument of design().They can also be accessed with DDM()\$p_types.

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a, t0, sv, st0, s are sampled on the log scale because these parameters are strictly positive, Z, SZ and DP are sampled on the probit scale because they should be strictly between 0 and 1.

Z is estimated as the ratio of bias to one boundary where 0.5 means no bias. DP comprises the difference in non-decision time for each response option.

Conventionally, sv is fixed to 1 to satisfy scaling constraints.

See Ratcliff, R., & McKoon, G. (2008). The diffusion decision model: theory and data for twochoice decision tasks. *Neural computation, 20*(4), 873-922. doi:10.1162/neco.2008.12-06-420.

Value

A model list with all the necessary functions for EMC2 to sample

Examples

```
design_DDMaE <- design(data = forstmann,model=DDM,
                          formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                          constants=c(s=log(1)))
# For all parameters that are not defined in the formula, default values are assumed
# (see Table above).
```
DDMt0natural *Diffusion decision model with t0 on the natural scale*

Description

Diffusion decision model with t0 on the natural scale

Usage

DDMt0natural()

Value

A model list with all the necessary functions to sample

Description

This function combines information regarding the data, type of model, and the model specification.

Usage

```
design(
  formula = NULL,
  factors = NULL,
 Rlevels = NULL,
 model,
 data = NULL,
  contrasts = NULL,
 matchfun = NULL,
 constants = NULL,
  covariates = NULL,
  functions = NULL,
  report_p_vector = TRUE,
  custom_p_vector = NULL,
  ...
)
```
Arguments

Value

A design list.

Examples

```
# load example dataset
dat <- forstmann
# create a function that takes the latent response (lR) factor (d) and returns a logical
# defining the correct response for each stimulus. Here the match is simply
# such that the S factor equals the latent response factor
matchfun <- function(d)d$S==d$lR
# When working with lM and lR, it can be useful to design an
# "average and difference" contrast matrix. For binary responses, it has a
# simple canonical form
ADmat <- matrix(c(-1/2,1/2),ncol=1,dimnames=list(NULL,"diff"))
# Create a design for a linear ballistic accumulator model (LBA) that allows
# thresholds to be a function of E and lR. The final result is a 9 parameter model.
design_LBABE <- design(data = dat,model=LBA,matchfun=matchfun,
                            formula=list(v~lM,sv~lM,B~E+lR,A~1,t0~1),
                            contrasts=list(v=list(lM=ADmat)),
                            constants=c(sv=log(1)))
```
ess_summary.emc *Effective sample size*

Description

Returns the effective sample size (ESS) of the selected parameter type. Full range of possible samples manipulations described in get_pars.

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Usage

```
## S3 method for class 'emc'
ess_summary(
  emc,
  selection = "mu",
  stat = "min",
  stat_only = FALSE,
  digits = 1,
  ...
)
```
ess_summary(emc, ...)

Arguments

Value

A matrix or vector of ESS values for the selected parameter type.

Examples

```
ess_summary(samples_LNR, selection = "alpha")
```
fit.emc *Model estimation in EMC2*

Description

General purpose function to estimate models specified in EMC2.

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Usage

```
## S3 method for class 'emc'
fit(
  emc,
  stage = NULL,
  iter = 1000,
  stop_criteria = NULL,
  report_time = TRUE,
 p_{\text{accept}} = 0.8,
 step_size = 100,
  verbose = TRUE,
 verboseProgress = FALSE,
 fileName = NULL,
 particles = NULL,
 particle_factor = 50,
 cores_per_chain = 1,
 cores_for_chains = length(emc),
 max\_tries = 20,
 n_blocks = 1,
  ...
\mathcal{L}fit(emc, ...)
```
Arguments

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Details

stop_criteria is either a list of lists with names of the stages, or a single list in which case its assumed to be for the sample stage (see examples). The potential stop criteria to be set are:

selection (character vector): For which parameters the stop_criteria should hold

mean_gd (numeric): The mean Gelman-Rubin diagnostic across all parameters in the selection

max_gd (numeric): The max Gelman-Rubin diagnostic across all parameters in the selection

min_unique (integer): The minimum number of unique samples in the MCMC chains across all parameters in the selection

min_es (integer): The minimum number of effective samples across all parameters in the selection

omit_mpsrf (Boolean): Whether to include the multivariate point-scale reduction factor in the Gelman-Rubin diagnostic. Default is FALSE.

iter (integer): The number of MCMC samples to collect.

The estimation is performed using particle-metropolis within-Gibbs sampling. For sampling details see:

Gunawan, D., Hawkins, G. E., Tran, M.-N., Kohn, R., & Brown, S. (2020). New estimation approaches for the hierarchical linear ballistic accumulator model. *Journal of Mathematical Psychology* ,96, 102368. doi.org/10.1016/j.jmp.2020.102368

Stevenson, N., Donzallaz, M. C., Innes, R. J., Forstmann, B., Matzke, D., & Heathcote, A. (2024). EMC2: An R Package for cognitive models of choice. doi.org/10.31234/osf.io/2e4dq

Value

An emc object

Examples

```
## Not run:
# First define a design
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Then make the emc object, we've omitted a prior here for brevity so default priors will be used.
emc_forstmann <- make_emc(forstmann, design)
# With the emc object we can start sampling by simply calling fit
emc_forstmann <- fit(emc_forstmann, fileName = "intermediate_save_location.RData")
# For particularly hard models it pays off to increase the ``particle_factor``
# and, although to a lesser extent, lower ``p_accept``.
emc_forstmann <- fit(emc_forstmann, particle_factor = 100, p_accept = .6)
# Example of how to use the stop_criteria:
emc_forstmann <- fit(emc_forstmann, stop_criteria = list(mean_gd = 1.1, max_gd = 1.5,
            selection = c('alpha', 'sigma2'), omit_mpsrf = TRUE, min_es = 1000))
# In this case the stop_criteria are set for the sample stage, which will be
# run until the mean_gd < 1.1, the max_gd < 1.5 (omitting the multivariate psrf)
# and the effective sample size > 1000,
# for both the individual-subject parameters ("alpha")
# and the group-level variance parameters.
# For the unspecified stages in the ``stop_criteria`` the default values
# are assumed which are found in Stevenson et al. 2024 <doi.org/10.31234/osf.io/2e4dq>
# Alternatively, you can also specify the stop_criteria for specific stages by creating a
# nested list
emc_forstmann <- fit(emc_forstmann, stop_criteria = list("burn" = list(mean_gd = 1.1, max_gd = 1.5,
            selection = c('alpha'), "adapt" = list(min_unique = 100)))
```
End(Not run)

Description

A dataset containing the speed or accuracy manipulation for a Random Dot Motion experiment.

Usage

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Format

A data frame with 15818 rows and 5 variables:

- E Factor with 3 levels for Speed, Accuracy and Neutral
- R Factor with 2 levels for Left and Right responses
- S Factor with 2 levels for Left and Right trials
- rt reaction time for each trial as a double
- subjects integer ID for each subject

Details

Details on the dataset can be found in the following paper:

Striatum and pre-SMA facilitate decision-making under time pressure

Birte U. Forstmann, Gilles Dutilh, Scott Brown, Jane Neumann, D. Yves von Cramon, K. Richard Ridderinkhof, Eric-Jan Wagenmakers.

Proceedings of the National Academy of Sciences Nov 2008, 105 (45) 17538-17542; DOI: 10.1073/pnas.0805903105

Source

<https://www.pnas.org/doi/10.1073/pnas.0805903105>

gd_summary.emc *Gelman-Rubin statistic*

Description

Returns the Gelman-Rubin diagnostics (otherwise known as the R-hat) of the selected parameter type; i.e. the ratio of between to within MCMC chain variance.

Usage

```
## S3 method for class 'emc'
gd_summary(
  emc,
  selection = "mu",
  omit_mpsrf = TRUE,
  stat = "max",
  stat_only = FALSE,
  digits = 3,
  ...
)
gd_summary(emc, ...)
```
Arguments

Details

See: Gelman, A and Rubin, DB (1992) Inference from iterative simulation using multiple sequences, *Statistical Science*, 7, 457-511.

Full range of possible samples manipulations described in get_pars.

Value

A matrix or vector of R-hat values for the selected parameter type.

Examples

```
gd_summary(samples_LNR, selection = "correlation", stat = "mean", flatten = TRUE)
```
get_BayesFactor *Bayes Factors*

Description

returns the Bayes Factor for two models

Usage

```
get_BayesFactor(MLL1, MLL2)
```
Arguments

Value

The BayesFactor for model 1 over model 2

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Examples

```
## Not run:
# First get the marginal likelihood for two_models
# Here the full model is an emc object with the hypothesized effect
# The null model is an emc object without the hypothesized effect
MLL_full <- run_bridge_sampling(full_model, cores_per_prop = 3)
MLL_null <- run_bridge_sampling(null_model, cores_per_prop = 3)
# Now we can calculate their Bayes factor
get_BayesFactor(MLL_full, MLL_null)
```
End(Not run)

get_data.emc *Get data*

Description

Extracts data from an emc object

Usage

S3 method for class 'emc' get_data(emc)

get_data(emc)

Arguments

emc an emc object

Details

emc adds columns and rows to a dataframe in order to facilitate efficient likelihood calculations. This function will return the data as provided originally.

Value

A dataframe of the original data

Examples

get_data(samples_LNR)

Description

Underlying function used in most plotting and object handling functions in EMC2. Can for example be used to filter/thin a parameter type (i.e, group-level means mu) and convert to an mcmc.list.

Usage

```
get_pars(
  emc,
  selection = "mu",
  stage = "sample",
  thin = 1,
  filter = 0,
  map = FALSE,
  add_recalculated = FALSE,
  length.out = NULL,
  by_subject = FALSE,
  return_mcmc = TRUE,
  merge_chains = FALSE,
  subject = NULL,flatten = FALSE,
  remove_dup = FALSE,
  remove_constants = TRUE,
  use_par = NULL,
  type = NULL,
  true_pars = NULL,
  chain = NULL,covariates = NULL
)
```
Arguments

Value

An mcmc.list object of the selected parameter types with the specified manipulations

Examples

```
# E.g. get the group-level mean parameters mapped back to the design
get_pars(samples_LNR, stage = "sample", map = TRUE, selection = "mu")
```

```
# Or return the flattened correlation, with 10 iterations per chain
get_pars(samples_LNR, stage = "sample", selection = "correlation", flatten = TRUE, length.out = 10)
```


Description

Works analogous to get_prior_standard. Blocks of the covariance matrix to estimate are only considered in sampling. To get the default prior for a created design: get_prior_diag(design = design, sample = FALSE)

Usage

```
get_prior_blocked(
 prior = NULL,
 n_pars = NULL,
  sample = TRUE,
 N = 1e+05,
  selection = "mu",
  design = NULL,
  par_groups = NULL
)
```

```
Arguments
```


Details

For details see Huang, A., & Wand, M. P. (2013). Simple marginally noninformative prior distributions for covariance matrices. *Bayesian Analysis*, 8, 439-452. https://doi.org/10.1214/13-BA815.

Note that if sample = FALSE, prior\$theta_mu_invar (the inverse of the prior covariance matrix on the group-level mean) is returned, which is only used for computational efficiency

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Value

A list with a single entry of type of samples from the prior (if sample = TRUE) or else a prior object

Examples

```
# First define a design for the model
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Now get the default prior
prior <- get_prior_blocked(design = design_DDMaE, sample = FALSE)
# We can change values in the default prior or use `prior`
# Then we can get samples from this prior e.g.
samples <- get_prior_blocked(prior = prior, design = design_DDMaE,
  sample = TRUE, selection = "mu")
```
get_prior_diag *Prior specification or prior sampling for diagonal estimation*

Description

To get the default prior for a created design: get_prior_diag(design = design, sample = FALSE)

Usage

```
get_prior_diag(
 prior = NULL,
 n_pars = NULL,
  sample = TRUE,
 N = 1e+05,
  selection = "mu",
  design = NULL
\lambda
```
Arguments

Details

For details see Huang, A., & Wand, M. P. (2013). Simple marginally noninformative prior distributions for covariance matrices. *Bayesian Analysis*, 8, 439-452. https://doi.org/10.1214/13-BA815.

Note that if sample = FALSE, prior\$theta_mu_invar (the inverse of the prior covariance matrix on the group-level mean) is returned, which is only used for computational efficiency.

Value

A list with a single entry of type of samples from the prior (if sample = TRUE) or else a prior object

Examples

```
# First define a design for the model
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Now get the default prior
prior <- get_prior_diag(design = design_DDMaE, sample = FALSE)
# We can change values in the default prior or use `prior`
# Then we can get samples from this prior e.g.
samples <- get_prior_diag(prior = prior, design = design_DDMaE,
 sample = TRUE, selection = "mu")
```
get_prior_factor *Prior specification and prior sampling for factor estimation*

Description

To get the default priors for a given design: get_prior_factor(design = design, sample = FALSE)

Usage

```
get_prior_factor(
 prior = NULL,
 n_pars = NULL,
  sample = TRUE,
 N = 1e+05,
  selection = "mu",
  design = NULL,
 Lambda_mat = NULL,
 n_factors = NULL
)
```
Arguments

Details

For details see Ghosh, J., & Dunson, D. B. (2009). Default prior distributions and efficient posterior computation in Bayesian factor analysis. *Journal of Computational and Graphical Statistics*, 18, 306-320. or Stevenson, N., Innes, R. J., Gronau, Q. F., Miletic, S., Heathcote, A., PhD, Forstmann, B., & Brown, S. (2024). Using group level factor models to resolve high dimensionality in modelbased sampling. https://doi.org/10.31234/osf.io/pn3wv.

Note that if sample = FALSE, prior\$theta_mu_invar (the inverse of the prior covariance matrix on the group-level mean) is returned, which is only used for computational efficiency

Value

A list with a single entry of type of samples from the prior (if sample = TRUE) or else a prior object

Examples

```
# First define a design for the model
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Now get the default prior
prior <- get_prior_factor(design = design_DDMaE, sample = FALSE, n_factors = 3)
# We can change values in the default prior or use `prior`
# Then we can get samples from this prior e.g.
samples <- get_prior_factor(prior = prior, design = design_DDMaE,
 sample = TRUE, selection = "mu", n_factors = 3)
```


Description

Prior specification or prior sampling for SEM estimation.

Usage

```
get_prior_SEM(
 prior = NULL,
 n_pars = NULL,
 sample = TRUE,
 N = 1e+05,
  selection = "mu",
 design = NULL,
 Lambda_mat = NULL,
 B_mat = NULL,K_mat = NULL,G_mat = NULL,
 covariates = NULL
)
```
Arguments

Value

A list with a single entry of type of samples from the prior (if sample = TRUE) or else a prior object

get_prior_single *Prior specification or prior sampling for single subject estimation*

Description

With this type of estimation, one or multiple subjects are estimated independently, without any hierarchical constraint.

Usage

```
get_prior_single(
 prior = NULL,
 n_pars = NULL,
 sample = TRUE,
 N = 1e+05,
  selection = "alpha",
  design = NULL,
 map = FALSE\mathcal{L}
```
Arguments

Details

To specify a (multivariate normal) prior, prior\$theta_mu_mean and prior\$theta_mu_var an entry is needed for each parameter.

Value

A list with a single entry named "alpha" and samples from the prior (if sample = TRUE) or else a prior object

Examples

```
# First define a design for the model
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Now get the default prior
prior <- get_prior_single(design = design_DDMaE, sample = FALSE)
# We can change values in the default prior or use `prior`
# Then we can get samples from this prior e.g.
samples <- get_prior_single(prior = prior, design = design_DDMaE,
  sample = TRUE, selection = "alpha")
```
get_prior_standard *Prior specification or prior sampling for standard estimation.*

Description

To get the default prior for a created design: get_prior_standard(design = design, sample = FALSE)

Usage

```
get_prior_standard(
 prior = NULL,
 n_pars = NULL,
  sample = TRUE,
 N = 1e+05,
  selection = "mu",
  design = NULL
)
```
Arguments

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Details

For details see Huang, A., & Wand, M. P. (2013). Simple marginally noninformative prior distributions for covariance matrices. *Bayesian Analysis*, 8, 439-452. https://doi.org/10.1214/13-BA815.

Note that if sample = FALSE, prior\$theta_mu_invar (the inverse of the prior covariance matrix on the group-level mean) is also returned, which is only used for computational efficiency

Value

A list with a single entry of type of samples from the prior (if sample = TRUE) or else a prior object

Examples

```
# First define a design for the model
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Now get the default prior
prior <- get_prior_standard(design = design_DDMaE, sample = FALSE)
# We can change values in the default prior or use `prior`
# Then we can get samples from this prior e.g.
samples <- get_prior_standard(prior = prior, design = design_DDMaE,
 sample = TRUE, selection = "mu")
```
hypothesis.emc *Within-model hypothesis testing*

Description

Approximates the Bayes factor for parameter effects using the savage-dickey ratio.

Usage

```
## S3 method for class 'emc'
hypothesis(
 emc,
 parameter = NULL,
 HO = 0,fun = NULL,selection = "mu",
  do\_plot = TRUE,use_prior_lim = TRUE,
 N = 10000.
 prior_plot_args = list(),
  ...
)
hypothesis(emc, ...)
```
Arguments

Details

Note this is different to the computation of the marginal deviance in compare since it only considers the group level effect and not the whole model (i.e. subject-level parameters). For details see: Wagenmakers, Lodewyckx, Kuriyal, & Grasman (2010).

Value

The Bayes factor for the hypothesis against H0.

Examples

```
# Here the emc object has an effect parameter (e.g. m),
# that maps onto a certain hypothesis.
# The hypothesis here is that m is different from zero.
# We can test whether there's a group-level effect on m:
hypothesis(samples_LNR, parameter = "m")
# Alternatively we can also test whether two parameters differ from each other
mdiff <- function(p)diff(p[c("m","m_lMd")])
hypothesis(samples_LNR,fun=mdiff)
```
IC *Calculate information criteria (DIC, BPIC), effective number of parameters and constituent posterior deviance (D) summaries (meanD = mean of D, Dmean = D for mean of posterior parameters and minD = minimum of D).*

Description

Calculate information criteria (DIC, BPIC), effective number of parameters and constituent posterior deviance (D) summaries (mean $D =$ mean of D, Dmean = D for mean of posterior parameters and $minD = minimum$ of D).

Usage

```
IC(
  emc,
  stage = "sample",
  filter = 0,
  use_best_fit = TRUE,
  print_summary = TRUE,
  digits = 0,
  subject = NULL,group_only = FALSE
)
```
Arguments

Value

Table of DIC, BPIC, EffectiveN, meanD, Dmean, and minD

Description

Adds a set of start points to each chain. These start points are sampled from a user-defined multivariate normal across subjects.

Usage

```
init_chains(
  emc,
  start_mu = NULL,
 start_var = NULL,
 particles = 1000,
 cores_per_chain = 1,
 cores_for_chains = length(emc)
)
```
Arguments

Value

An emc object

Examples

```
## Not run:
# Make a design and an emc object
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
```
DDMaE <- make_emc(forstmann, design_DDMaE) # set up our mean starting points (same used across subjects).

```
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```

```
mu <- c(v_Sleft=-2,v_Sright=2,a=log(1),a_Eneutral=log(1.5),a_Eaccuracy=log(2),
      t0=log(.2),Z=qnorm(.5),sv=log(.5),SZ=qnorm(.5))
# Small variances to simulate start points from a tight range
var <- diag(0.05, length(mu))
# Initialize chains, 4 cores per chain, and parallelizing across our 3 chains as well
# so 4*3 cores used.
DDMaE <- init_chains(DDMaE, start_mu = p_vector, start_var = var, cores_per_chain = 4)
# Afterwards we can just use fit
DDMaE <- fit(DDMaE, cores_per_chain = 4)
## End(Not run)
```
LBA *The Linear Ballistic Accumulator model*

Description

Model file to estimate the Linear Ballistic Accumulator (LBA) in EMC2.

Usage

LBA()

Details

Model files are almost exclusively used in design().

Default values are used for all parameters that are not explicitly listed in the formula argument of design().They can also be accessed with LBA()\$p_types.

All parameters are estimated on the log scale, except for the drift rate which is estimated on the real line.

Conventionally, sv is fixed to 1 to satisfy scaling constraints.

The $b = B + A$ parameterization ensures that the response threshold is always higher than the between trial variation in start point of the drift rate.

Because the LBA is a race model, it has one accumulator per response option. EMC2 automatically constructs a factor representing the accumulators lR (i.e., the latent response) with level names taken from the R column in the data.

The lR factor is mainly used to allow for response bias, analogous to Z in the DDM. For example, in the LBA, response thresholds are determined by the B parameters, so $B \sim 1R$ allows for different thresholds for the accumulator corresponding to left and right stimuli (e.g., a bias to respond left occurs if the left threshold is less than the right threshold). For race models, the design() argument matchfun can be provided, a function that takes the lR factor (defined in the augmented data (d) in the following function) and returns a logical defining the correct response. In the example below, the match is simply such that the S factor equals the latent response factor: matchfun=function(d)d\$S==d\$lR. Then matchfun is used to automatically create a latent match (lM) factor with levels FALSE (i.e., the stimulus does not match the accumulator) and TRUE (i.e., the stimulus does match the accumulator). This is added internally and can also be used in model formula, typically for parameters related to the rate of accumulation.

Brown, S. D., & Heathcote, A. (2008). The simplest complete model of choice response time: Linear ballistic accumulation. *Cognitive Psychology, 57*(3), 153-178. https://doi.org/10.1016/j.cogpsych.2007.12.002

Value

A model list with all the necessary functions for EMC2 to sample

Examples

```
# When working with lM it is useful to design an "average and difference"
# contrast matrix, which for binary responses has a simple canonical from:
ADmat <- matrix(c(-1/2,1/2),ncol=1,dimnames=list(NULL,"d"))
# We also define a match function for lM
matchfun=function(d)d$S==d$lR
# We now construct our design, with v \sim 1M and the contrast for 1M the ADmat.
design_LBABE <- design(data = forstmann,model=LBA,matchfun=matchfun,
                       formula=list(v~lM,sv~lM,B~E+lR,A~1,t0~1),
                       contrasts=list(v=list(lM=ADmat)),constants=c(sv=log(1)))
# For all parameters that are not defined in the formula, default values are assumed
# (see Table above).
```
LNR *The Log-Normal Race Model*

Description

Model file to estimate the Log-Normal Race Model (LNR) in EMC2.

Usage

LNR()

Details

Model files are almost exclusively used in design().

Default values are used for all parameters that are not explicitly listed in the formula argument of design().They can also be accessed with LNR()\$p_types.

Because the LNR is a race model, it has one accumulator per response option. EMC2 automatically constructs a factor representing the accumulators lR (i.e., the latent response) with level names taken from the R column in the data.

In design(), matchfun can be used to automatically create a latent match (M) factor with levels FALSE (i.e., the stimulus does not match the accumulator) and TRUE (i.e., the stimulus does match the accumulator). This is added internally and can also be used in the model formula, typically for parameters related to the rate of accumulation (see the example below).

Rouder, J. N., Province, J. M., Morey, R. D., Gomez, P., & Heathcote, A. (2015). The lognormal race: A cognitive-process model of choice and latency with desirable psychometric properties. *Psychometrika, 80*, 491-513. https://doi.org/10.1007/s11336-013-9396-3

Value

A model list with all the necessary functions for EMC2 to sample

Examples

```
# When working with lM it is useful to design an "average and difference"
# contrast matrix, which for binary responses has a simple canonical from:
ADmat <- matrix(c(-1/2,1/2),ncol=1,dimnames=list(NULL,"d"))
# We also define a match function for lM
matchfun=function(d)d$S==d$lR
# We now construct our design, with v \sim 1M and the contrast for 1M the ADmat.
design_LNRmE <- design(data = forstmann,model=LNR,matchfun=matchfun,
                        formula=list(m<sup>2</sup>M + E,s<sup>1</sup>,t0<sup>1</sup>),
                        contrasts=list(m=list(lM=ADmat)))
# For all parameters that are not defined in the formula, default values are assumed
# (see Table above).
```
make_data *Simulate data*

Description

Simulates data based on a model design and a parameter vector (p_vector) by one of two methods:

- 1. Creating a fully crossed and balanced design specified by the design, with number of trials per cell specified by the n_trials argument
- 2. Using the design of a data frame supplied, which allows creation of unbalanced and other irregular designs, and replacing previous data with simulated data

Usage

```
make_data(
 parameters,
 design = NULL,
 n_trials = NULL,
 data = NULL,expand = 1,
 mapped_p = FALSE,hyper = FALSE,
  ...
\mathcal{L}
```
Arguments

Details

To create data for multiple subjects see ?make_random_effects().

Value

A data frame with simulated data

Examples

```
# First create a design
design_DDMaE <- design(factors = list(S = c("left", "right"),
                                          E = c("SPD", "ACC"),subjects = 1:30,
                           Rlevels = c("left", "right"), model = DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
```
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```
constants=c(s=log(1)))
# Then create a p_vector:
parameters <- c(v_Sleft=-2,v_Sright=2,a=log(1),a_EACC=log(2), t0=log(.2),
             Z=qnorm(.5),sv=log(.5),SZ=qnorm(.5))# Now we can simulate data
data <- make_data(parameters, design_DDMaE, n_trials = 30)
# We can also simulate data based on a specific dataset
design_DDMaE <- design(data = forstmann,model=DDM,
                            formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                            constants=c(s=log(1)))
parameters <- c(v_Sleft=-2,v_Sright=2,a=log(1),a_Eneutral=log(1.5),a_Eaccuracy=log(2),
              t0=log(.2),Z=qnorm(.5),sv=log(.5),SZ=qnorm(.5))
data <- make_data(parameters, design_DDMaE, data = forstmann)
```
make_emc *Make an emc object*

Description

Creates an emc object by combining the data, prior, and model specification into a emc object that is needed in fit().

Usage

```
make_emc(
  data,
  design,
 model = NULL,type = "standard",
 n_chains = 3,
  compress = TRUE,
  rt_resolution = 0.02,
 prior_list = NULL,
  grouped_pars = NULL,
 par_groups = NULL,
  ...
\lambda
```


Value

An uninitialized emc object

Examples

dat <- forstmann

```
# function that takes the lR factor (named diff in the following function) and
# returns a logical defining the correct response for each stimulus. In this
# case the match is simply such that the S factor equals the latent response factor.
matchfun <- function(d)d$S==d$lR
```

```
# design an "average and difference" contrast matrix
ADmat <- matrix(c(-1/2,1/2),ncol=1,dimnames=list(NULL,"diff"))
```

```
# specify design
design_LBABE <- design(data = dat,model=LBA,matchfun=matchfun,
formula=list(v~lM,sv~lM,B~E+lR,A~1,t0~1),
contrasts=list(v=list(lM=ADmat)),constants=c(sv=log(1)))
```

```
# specify priors
pmean <- c(v=1, v_lMdiff=1, sv_lMTRUE=log(.5), B=log(.5), B_Eneutral=log(1.5),
           B_Eaccuracy=log(2),B_lRright=0, A=log(0.25),t0=log(.2))
psd <- c(v=1,v_lMdiff=0.5,sv_lMTRUE=.5,
         B=0.3,B_Eneutral=0.3,B_Eaccuracy=0.3,B_lRright=0.3,A=0.4,t0=.5)
prior_LBABE <- prior(design_LBABE, type = 'standard',pmean=pmean,psd=psd)
# create emc object
```

```
LBABE <- make_emc(dat,design_LBABE,type="standard", prior=prior_LBABE)
```
Description

Makes a factor diagram plot. Heavily based on the fa.diagram function of the psych package.

Usage

```
make_factor_diagram(
 emc = NULL,stage = "sample",
 loadings = NULL,
  standardize = TRUE,
  simple = FALSE,
 only_cred = FALSE,
 cut = 0,
 nice_names = NULL,
 factor_names = NULL,
 sort = TRUE,adj = 1,main = NULL,
 cex = NULL)
```


make_missing *make_missing*

Description

Truncate or censor data. is.na(rt) not truncated or censored.

Usage

```
make_missing(
 data,
 LT = 0,
 UT = Inf,LC = 0,
 UC = Inf,LCresponse = TRUE,
 UCresponse = TRUE,
 LCdirection = TRUE,
 UCdirection = TRUE
)
```
Arguments

Value

Truncated and censored data frame

make_random_effects *Make random effects*

Description

Simulates subject-level parameters in the format required by make_data().

Usage

```
make_random_effects(
  design,
  group_means,
  n\_subj = NULL,variance_proportion = 0.2,
  covariances = NULL
)
```
Arguments

Value

A matrix of subject-level parameters.

Examples

```
# First create a design
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                            constants=c(s=log(1)))
# Then create a group-level means vector:
group_means =c(v_Sleft=-2,v_Sright=2,a=log(1),a_Eneutral=log(1.5),a_Eaccuracy=log(2),
               t0=log(.2),Z=qnorm(.5),sv=log(.5),SZ=qnorm(.5))
# Now we can create subject-level parameters
subj_pars <- make_random_effects(design_DDMaE, group_means, n_subj = 5)
# We can also define a covariance matrix to simulate from
```
48 mapped_par

```
covariances = diag(.1, length(group_means)))
# The subject level parameters can be used to generate data
```

```
make_data(subj_pars, design_DDMaE, n_trials = 10)
```
mapped_par *Parameter mapping back to the design factors*

Description

Maps a parameter vector that corresponds to sampled parameters of the cognitive model back to the experimental design. The parameter vector can be created using sampled_p_vector(). The returned matrix shows whether/how parameters differ across the experimental factors.

Usage

```
mapped_par(
 p_vector,
  design,
 model = NULL,digits = 3,
  remove_subjects = TRUE,
  covariates = NULL,
  ...
)
```
Arguments

Value

Matrix with a column for each factor in the design and for each model parameter type (p_type).

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Examples

```
# First define a design:
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Then create a p_vector:
p_vector=c(v_Sleft=-2,v_Sright=2,a=log(1),a_Eneutral=log(1.5),a_Eaccuracy=log(2),
          t0=log(.2),Z=qnorm(.5),sv=log(.5),SZ=qnorm(.5))
# This will map the parameters of the p_vector back to the design
mapped_par(p_vector,design_DDMaE)
```
merge_chains *Merge samples*

Description

Merges samples from all chains as one unlisted object.

Usage

```
merge_chains(emc)
```
Arguments

emc An emc object, commonly the output of fit()

Details

Note that all sampling stages are included in the merged output, including iterations from the preburn, burn, and adapt stages. merge_chains(emc)\$samples\$stage shows the corresponding sampling stages.

Value

An unlisted emc object with all chains merged

Description

Plots within-chain parameter correlations (upper triangle) and corresponding scatterplots (lower triangle) to visualize parameter sloppiness.

Usage

```
pairs_posterior(
  emc,
  selection = "alpha",
  scale_subjects = TRUE,
  do\_plot = TRUE,N = 500,...
)
```
Arguments

Details

If selection = alpha the parameter chains are concatenated across participants, (after standardizing if scale_subjects = TRUE) and then correlated.

Value

Invisibly returns a matrix with the correlations between the parameters.

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Examples

```
# Plot the sloppiness for the individual-level subjects
pairs_posterior(samples_LNR, selection = "alpha")
```
We can also choose group-level parameters and subsets of the parameter space pairs_posterior(samples_LNR, use_par = c("m", "t0"), selection = "sigma2")

```
parameters.emc Returns a parameter type from an emc object as a data frame.
```
Description

Returns a parameter type from an emc object as a data frame.

Usage

```
## S3 method for class 'emc'
parameters(emc, selection = "mu", N = NULL, resample = FALSE, ...)
```
parameters(emc, ...)

Arguments

Value

A data frame with one row for each sample (with a subjects column if selection = "alpha")

Description

Makes trace plots for model parameters.

Usage

```
## S3 method for class 'emc'
plot(
  x,
  stage = "sample",
  selection = c("mu", "sigma2", "alpha"),
 layout = NA,
  ...
)
```
Arguments

Value

A trace/acf plot of the selected MCMC chains

Examples

```
plot(samples_LNR)
# Or trace autocorrelation for the second subject:
plot(samples_LNR, subject = 2, selection = "alpha")
# Can also plot the trace of for example the group-level correlation:
plot(samples_LNR, selection = "correlation", col = c("green", "purple", "orange"), lwd = 2)
```
plot_defective_density

Plot defective densities for each subject and cell

Description

Plots panels that contain a set of densities for each response option in the data. These densities are defective; their areas are relative to the respective response proportion. Across all responses, the area sums to 1.

Usage

```
plot_defective_density(
  data,
  subject = NULL,
  factors = NULL,
  layout = NA,
  correct_fun = NULL,
  rt_pos = "top",
  accuracy = "topright",
  ...
)
```
Arguments

Value

If correct_fun is specified, a subject accuracy vector is returned invisibly

Examples

```
# First for each subject and the factor combination in the design:
plot_defective_density(forstmann)
# Now collapsing across subjects:
plot_defective_density(forstmann, factors = c("S", "E"))
# If the data is response coded, it generally makes sense to include the "S" factor
# because EMC2 will plot the "R" factor automatically. This way, choice accuracy can
# be examined
# Each subject's accuracy can be returned using a custom function:
print(plot_defective_density(forstmann, correct_fun = function(d) d$R == d$S))
```
plot_fit *Posterior predictive checks*

Description

Plot (defective) cumulative density functions of the observed data and data from the posterior predictive distribution: the probability of a response, $p(R)$ as a function of response time for the experimental data and posterior predictive simulations.

Usage

```
plot_fit(
  data,
  pp,
  subject = NULL,factors = NULL,
  functions = NULL,
  stat = NULL,stat_name = ",
  adjust = 1,quants = c(0.025, 0.5, 0.975),
  do\_plot = TRUE,xlim = NULL,vlim = NULL,layout = NULL,
 mfcol = FALSE,probs = c(1:99)/100,data_lwd = 2,
  fit\_lwd = 1,
  q_points = c(0.1, 0.3, 0.5, 0.7, 0.9),
  qp\_cex = 1,
 pqp\_cex = 0.5,
  lpos = "right",main = "")
```
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Details

The data is plotted in black. Large grey points show the average quantiles across the posterior predictives. The small grey points represent the predicted quantile of an individual replicate, providing a representation of uncertainty in the model predictions.

If the stat argument is supplied (which calculates a statistic based on the data), the posterior predictives are plotted as a density over the different replicates. A vertical line is plotted at the value of that statistic for the experimental data.

If more than one subject is included, the data and fits are aggregated across subjects by default.

Also see ?plot_defective_density() for more details.

Value

If stat argument is provided, a vector of observed values and predicted quantiles is returned

Examples

```
# First generate posterior predictives based on an emc object run with run_emc
pp <- predict(samples_LNR, n_cores = 1, n_post = 10)
# Then visualize the model fit
plot_fit(forstmann, pp, factors = c("S", "E"), layout = c(2,3))
# Specific statistics on the posterior predictives can also be specified
# This function calculates the difference in rt between two S levels.
# It takes the data (or the posterior predictives) as an argument
drt <- function(data) diff(tapply(data$rt,data[,c("S")],mean))
plot_fit(forstmann, pp, stat=drt,stat_name="Rt difference",
        main=("Left vs Right"))
```
plot_fit_choice *Plots choice data*

Description

Plots choice data with no response times.

Usage

```
plot_fit_choice(
  data,
  pp,
  subject = NULL,factors = NULL,
  functions = NULL,
  stat = NULL,stat_name = ".
  adjust = 1,
```
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```
ci = c(0.025, 0.5, 0.975),
 do\_plot = TRUE,xlim = NULL,
 ylim = NULL,
 main = "",layout = NULL,
 mfcol = TRUE,signalFactor = "S",
 zROC = FALSE,qfun = qnorm,
 \lim = NULL,
 rocfit_cex = 0.5\mathcal{L}
```


Value

If stat argument is provided a matrix of observed values and predicted quantiles is returned

plot_mcmc *Plot MCMC*

Description

Uses the coda plot functions that are applied per chain

Usage

```
plot_mcmc(
  emc,
  selection = "mu",
  fun = "cumuplot",
  layout = NA,
  chain = 1,plot_type = NULL,
  ...
)
```
Arguments

Value

A coda plot

Description

Uses the coda plot functions that are applied across chain

Usage

```
plot_mcmc_list(emc, selection = "mu", fun = "traceplot", layout = NA, ...)
```
Arguments

Value

A coda plot

plot_pars *Plots density for parameters*

Description

Plots the posterior and prior density for selected parameters of a model. Full range of samples manipulations described in get_pars.

Usage

```
plot_pars(
  emc,
 layout = NA,
  selection = "mu",
  show_chains = FALSE,
 plot_prior = TRUE,
 N = 10000,use_prior_lim = !all_subjects,
```

```
lpos = "topright",
  true_pars = NULL,
  all_subjects = FALSE,
  prior_plot_args = list(),
  true_plot_args = list(),
  ...
\mathcal{L}
```
Arguments

Value

An invisible return of the contraction statistics for the selected parameter type

Examples

```
# Full range of possibilities described in get_pars
plot_pars(samples_LNR)
# Or plot all subjects
plot_pars(samples_LNR, all_subjects = TRUE, col = 'purple')
# Or plot recovery
```
plot_prior 61

true_emc <- samples_LNR # This would normally be the data-generating samples plot_pars(samples_LNR, true_pars = true_emc, true_plot_args = list(col = 'blue'), adjust = 2)

plot_prior *Title* Description

Title

Usage

```
plot_prior(
  prior,
  design,
  selection = "mu",
  do\_plot = TRUE,covariates = NULL,
  layout = NA,
  N = 50000,...
\mathcal{L}
```
Arguments

Value

An mcmc.list object with prior samples of the selected type

Examples

```
# First define a design for the model
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Then set up a prior using make_prior
p_vector=c(v_Sleft=-2,v_Sright=2,a=log(1),a_Eneutral=log(1.5),a_Eaccuracy=log(2),
          t0=log(.2),Z=qnorm(.5),sv=log(.5),SZ=qnorm(.5))
psd <- c(v_Sleft=1,v_Sright=1,a=.3,a_Eneutral=.3,a_Eaccuracy=.3,
         t0=.4,Z=1,sv=.4,SZ=1)
# Here we left the variance prior at default
prior_DDMaE <- prior(design_DDMaE,mu_mean=p_vector,mu_sd=psd)
# Now we can plot all sorts of (implied) priors
plot_prior(prior_DDMaE, design_DDMaE, selection = "mu", N = 1e3)
plot_prior(prior_DDMaE, design_DDMaE, selection = "mu", mapped = FALSE, N=1e3)
# We can also plot the implied prior on the participant level effects.
plot_prior(prior_DDMaE, design_DDMaE, selection = "alpha", col = "green", N = 1e3)
```
plot_relations *Plot relations*

Description

An adjusted version of the corrplot package function corrplot() tailored to EMC2 and the plotting of estimated correlations.

Usage

```
plot_relations(
  emc = NULL,stage = "sample",
  plot_cred = TRUE,
  plot_means = TRUE,
  only_cred = FALSE,
  nice_names = NULL,
  ...
)
```


posterior_summary.emc 63

Value

No return value, creates a plot of group-level relations

Examples

```
# For a given set of hierarchical model samples we can make a
# correlation matrix plot.
plot_relations(samples_LNR, only_cred = TRUE, plot_cred = TRUE)
# We can also only plot the correlations where the credible interval does not include zero
plot_relations(samples_LNR, plot_means = TRUE, only_cred = TRUE)
```
posterior_summary.emc *Posterior quantiles*

Description

Returns the quantiles of the selected parameter type. Full range of possible samples manipulations described in get_pars.

Usage

```
## S3 method for class 'emc'
posterior_summary(
  emc,
  selection = "mu",
  probs = c(0.025, 0.5, 0.975),
  digits = 3,
  ...
\mathcal{L}
```
posterior_summary(emc, ...)

A list of posterior quantiles for each parameter group in the selected parameter type.

Examples

posterior_summary(samples_LNR)

predict.emc *Generate posterior predictives*

Description

Simulate n_post data sets using the posterior parameter estimates

Usage

```
## S3 method for class 'emc'
predict(
  object,
  hyper = FALSE,
  n_{-}post = 100,n\_cores = 1,
  stat = c("random", "mean", "median")[1],
  ...
\mathcal{L}
```
Arguments

Value

A list of simulated data sets of length n_post

Examples

```
# based on an emc object ran by fit() we can generate posterior predictives
predict(samples_LNR, n_cores = 1, n_post = 10)
```
Description

Specify priors for the chosen model. These values are entered manually by default but can be recycled from another prior (given in the update argument).

Usage

```
prior(
  design,
  type = "standard",
  update = NULL,
  ask = NULL,fill_default = TRUE,
  ...
)
```
Arguments

Details

Where a value is not supplied, the user is prompted to enter numeric values (or functions that evaluate to numbers).

To get the default prior for a type, run: $get_prior_{type}\$ (design = design, sample = F)

E.g.: get_prior_diagonal(design = design, sample = F)

Value

A prior list object

Examples

```
# First define a design for the model
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Then set up a prior using prior
p_vector=c(v_Sleft=-2,v_Sright=2,a=log(1),a_Eneutral=log(1.5),a_Eaccuracy=log(2),
                     t0=log(.2),Z=qnorm(.5),sv=log(.5),SZ=qnorm(.5))
psd <- c(v_Sleft=1,v_Sright=1,a=.3,a_Eneutral=.3,a_Eaccuracy=.3,
                     t0=.4,Z=1,sv=.4,SZ=1)
# Here we left the variance prior at default
prior_DDMaE <- prior(design_DDMaE,mu_mean=p_vector,mu_sd=psd)
# Also add a group-level variance prior:
pscale <- c(v_Sleft=.6,v_Sright=.6,a=.3,a_Eneutral=.3,a_Eaccuracy=.3,
                             t0=.2,Z=.5,sv=.4,SZ=.3)
df \leftarrow .4prior_DDMaE <- prior(design_DDMaE,mu_mean=p_vector,mu_sd=psd, A = pscale, df = df)
# If we specify a new design
design_DDMat0E <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~E, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# We can easily update the prior
prior_DDMat0E <- prior(design_DDMat0E, update = prior_DDMaE)
```
probit *Gaussian Signal Detection Theory Model*

Description

Discrete choice based on continuous Gaussian latent, with no rt. Model parameters are mean (unbounded) sd (log scale) and threshold, with a first value is on the natural scale, and others for designs with with more than two responses are threshold increases on a log scale to enforce monotonic increase on the natural scale.

Usage

probit()

Value

A model list with all the necessary functions to sample

Description

Creates likelihood profile plots from a design and the experimental data by varying one model parameter while holding all others constant.

Usage

```
profile_plot(
 data,
 design,
 p_vector,
  range = 0.5,
  layout = NA,
 p_min = NULL,
 p_{max} = NULL,
 use_par = NULL,
 n_point = 100,
 n\_cores = 1,round = 3,
  true_plot_args = list(),
  ...
)
```


Value

Vector with highest likelihood point, input and mismatch between true and highest point

Examples

```
# First create a design
design_DDMaE <- design(data = forstmann,model=DDM,
                      formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                      constants=c(s=log(1)))
# Then create a p_vector:
p_vector=c(v_Sleft=-2,v_Sright=2,a=log(.95),a_Eneutral=log(1.5),a_Eaccuracy=log(2),
          t0=log(.25),Z=qnorm(.5),sv=log(.5),SZ=qnorm(.5))
# Make a profile plot for some parameters. Specifying a custom range for t0.
profile_plot(p_vector = p_vector, p_min = c(t0 = -1.35),
             p_{max} = c(t0 = -1.45), use_par = c("a", "t0", "SZ"),
             data = forstmann, design = design_DDMaE, n_point = 10)
```
RDM *The Racing Diffusion Model*

Description

Model file to estimate the Racing Diffusion Model (RDM), also known as the Racing Wald Model.

Usage

RDM()

Details

Model files are almost exclusively used in design().

Default values are used for all parameters that are not explicitly listed in the formula argument of design().They can also be accessed with RDM()\$p_types.

All parameters are estimated on the log scale.

The parameterization $b = B + A$ ensures that the response threshold is always higher than the between trial variation in start point.

Conventionally, s is fixed to 1 to satisfy scaling constraints.

Because the RDM is a race model, it has one accumulator per response option. EMC2 automatically constructs a factor representing the accumulators lR (i.e., the latent response) with level names taken from the R column in the data.

The lR factor is mainly used to allow for response bias, analogous to *Z* in the DDM. For example, in the RDM, response thresholds are determined by the *B* parameters, so B~lR allows for different thresholds for the accumulator corresponding to "left" and "right" stimuli, for example, (e.g., a bias to respond left occurs if the left threshold is less than the right threshold).

For race models in general, the argument matchfun can be provided in design(). One needs to supply a function that takes the lR factor (defined in the augmented data (d) in the following function) and returns a logical defining the correct response. In the example below, this is simply whether the S factor equals the latent response factor: matchfun=function(d)d\$S==d\$1R. Using matchfun a latent match factor (lM) with levels FALSE (i.e., the stimulus does not match the accumulator) and TRUE (i.e., the stimulus does match the accumulator). This is added internally and can also be used in model formula, typically for parameters related to the rate of accumulation.

Tillman, G., Van Zandt, T., & Logan, G. D. (2020). Sequential sampling models without random between-trial variability: The racing diffusion model of speeded decision making. *Psychonomic Bulletin & Review, 27*(5), 911-936. https://doi.org/10.3758/s13423-020-01719-6

Value

A list defining the cognitive model

Examples

```
# When working with lM it is useful to design an "average and difference"
# contrast matrix, which for binary responses has a simple canonical from:
ADmat <- matrix(c(-1/2,1/2),ncol=1,dimnames=list(NULL,"d"))
# We also define a match function for lM
matchfun=function(d)d$S==d$lR
# We now construct our design, with v \sim 1M and the contrast for 1M the ADmat.
design_RDMBE <- design(data = forstmann,model=RDM,matchfun=matchfun,
                       formula=list(v~lM,s~lM,B~E+lR,A~1,t0~1),
                       contrasts=list(v=list(lM=ADmat)),constants=c(s=log(1)))
# For all parameters that are not defined in the formula, default values are assumed
```
recovery.emc *Recovery plots*

Description

Plots recovery of data generating parameters/samples. Full range of samples manipulations described in get_pars

Usage

```
## S3 method for class 'emc'
recovery(
  emc,
 true_pars,
 selection = "mu",
 layout = NA,
 do_CI = TRUE,correlation = "pearson",
 stat = "rmse",
 digits = 3,
 CI = 0.95,ci_plot_args = list(),
  ...
)
```
recovery(emc, ...)

run_adapt 71

Value

Invisible list with RMSE, coverage, and Pearson and Spearman correlations.

Examples

```
# Make up some values that resemble posterior samples
# Normally this would be true values that were used to simulate the data
# Make up some values that resemble posterior samples
# Normally this would be true values that were used to simulate the data
pmat \le - matrix(rnorm(12, mean = c(-1, -.6, -.4, -1.5), sd = .01), ncol = 4, byrow = TRUE)
# Conventionally this would be created before one makes data with true values
recovery(samples_LNR, pmat, correlation = "pearson", stat = "rmse", selection = "alpha")
# Similarly we can plot recovery of other parameters with a set of true samples
true_samples <- samples_LNR # Normally this would be data-generating samples
recovery(samples_LNR, true_samples, correlation = "pearson", stat = "rmse",
        selection = "correlation", cex = 1.5,
        ci\_plot\_args = list(lty = 3, length = .2, lwd = 2, col = "brown"))
```
run_adapt *Runs adapt stage for emc.*

Description

Special instance of run_emc, with default arguments specified for completing adaptation.

Usage

```
run_adapt(
  emc,
  stop_criteria = NULL,
 p_{\text{accept}} = 0.8,
  step_size = 100,
  verbose = FALSE,
  verboseProgress = FALSE,
  fileName = NULL,
  particles = NULL,
 particle_factor = 50,
  cores_per_chain = 1,
  cores_for_chains = length(emc),
 max\_tries = 20.
 n_blocks = 1
\lambda
```
Arguments

emc An emc object stop_criteria A list. Defines the stopping criteria and for which types of parameters these should hold. See ?fit.

Value

An emc object

run_bridge_sampling *Estimating Marginal likelihoods using WARP-III bridge sampling*

Description

Uses bridge sampling that matches a proposal distribution to the first three moments of the posterior distribution to get an accurate estimate of the marginal likelihood. The marginal likelihood can be used for computing Bayes factors and posterior model probabilities.
run_bridge_sampling 73

Usage

```
run_bridge_sampling(
  emc,
  stage = "sample",
 filter = NULL,repetitions = 1,
  cores_for_props = 4,
  cores_per_prop = 1,
 both_splits = TRUE,
  ...
)
```
Arguments

Details

If not enough posterior samples were collected using fit(), bridge sampling can be unstable. It is recommended to run run_bridge_sampling() several times with the repetitions argument and to examine how stable the results are.

It can be difficult to converge bridge sampling for exceptionally large models, because of a large number of subjects (> 100) and/or cognitive model parameters.

For a practical introduction:

Gronau, Q. F., Heathcote, A., & Matzke, D. (2020). Computing Bayes factors for evidenceaccumulation models using Warp-III bridge sampling. *Behavior research methods*, 52(2), 918-937. doi.org/10.3758/s13428-019-01290-6

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For mathematical background:

Meng, X.-L., & Wong, W. H. (1996). Simulating ratios of normalizing constants via a simple identity: A theoretical exploration. *Statistica Sinica*, 6, 831-860. http://www3.stat.sinica.edu.tw/statistica/j6n4/j6n43/j6n43.htm

Meng, X.-L., & Schilling, S. (2002). Warp bridge sampling. *Journal of Computational and Graphical Statistics*, 11(3), 552-586. doi.org/10.1198/106186002457

Value

A vector of length repetitions which contains the marginal log likelihood estimates per repetition

Examples

```
## Not run:
# After `fit` has converged on a specific model
# We can take those samples and calculate the marginal log-likelihood for them
MLL <- run_bridge_sampling(list(samples_LNR), cores_per_prop = 2)
# This will run on 2*4 cores (since 4 is the default for ``cores_for_props``)
```
End(Not run)

run_emc *Custom function for more controlled model estimation*

Description

Although typically users will rely on fit, this function can be used for more fine-tuned specification of estimation needs. The function will throw an error if a stage is skipped, the stages have to be run in order ("preburn", "burn", "adapt", "sample"). More details can be found in the fit help files (?fit).

Usage

```
run_emc(
  emc,
  stage,
  stop_criteria,
  p_{\text{accept}} = 0.8,
  step_size = 100,
  verbose = FALSE,
  verboseProgress = FALSE,
  fileName = NULL,
  particles = NULL,
  particle_factor = 50,
  cores_per_chain = 1,
  cores_{\text{c}} for \text{chains} = \text{length}(emc),
  max\_tries = 20,
  n_blocks = 1
)
```
run_emc 75

Arguments

Value

An emc object

Examples

```
## Not run:
# First define a design
design_DDMaE <- design(data = forstmann,model=DDM,
```
 76 run_IS2

```
formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Then make the emc, we've omitted a prior here for brevity so default priors will be used.
emc <- make_emc(forstmann, design)
# Now for example we can specify that we only want to run the "preburn" phase
# for MCMC 200 iterations
emc <- run_emc(emc, stage = "preburn", stop_criteria = list(iter = 200))
## End(Not run)
```
run_IS2 *Runs IS2 from Tran et al. 2021 on a list of emc*

Description

Runs IS2 on a list of emc, only works for types standard, factor and diagonal yet.

Usage

```
run_IS2(
  emc,
 stage = "sample",
 filter = 0,
 IS_samples = 1000,
  stepsize_particles = 500,
 max_particles = 5000,
 n\_cores = 1,df = 5)
```
Arguments

run_sample 77

Value

emc, with IS2 attribute

run_sample *Runs sample stage for emc.*

Description

Special instance of run_emc, with default arguments specified for running sample stage.

Usage

```
run_sample(
  emc,
  iter = 1000,stop_criteria = NULL,
 p_{\text{accept}} = 0.8,
  step_size = 100,
 verbose = FALSE,
  verboseProgress = FALSE,
  fileName = NULL,
 particles = NULL,
 particle_factor = 50,
 cores_per_chain = 1,
  cores_for_chains = length(emc),
 max\_tries = 20,
 n_blocks = 1
)
```
Arguments

Value

An emc object

sampled_p_vector *Get model parameters from a design*

Description

Makes a vector with zeroes, with names and length corresponding to the model parameters of the design.

Usage

```
sampled_p_vector(
 design,
 model = NULL,
 doMap = TRUE,
 add\_da = FALSE,all_cells_dm = FALSE
)
```
samples_LNR 79

Arguments

Value

Named vector.

Examples

```
# First define a design
design_DDMaE <- design(data = forstmann,model=DDM,
                           formula =list(v~0+S,a~E, t0~1, s~1, Z~1, sv~1, SZ~1),
                           constants=c(s=log(1)))
# Then for this design get which cognitive model parameters are sampled:
sampled_p_vector(design_DDMaE)
```


Description

An emc object with a limited number of samples and subjects of the Forstmann dataset. The object is a nested list of lenght three, each list containing the MCMC samples of the respective chain. The MCMC samples are stored in the samples element.

Usage

samples_LNR

Format

An emc object. An emc object is a list with a specific structure and elements, as outlined below.

data A list of dataframes, one for each subject included

par_names A character vector containing the model parameter names

n_pars The number of parameters in the model

n_subjects The number of unique subject ID's in the data

subjects A vector containing the unique subject ID's

- prior A list that holds the prior for theta_mu (the model parameters). Contains the mean (theta_mu_mean), covariance matrix (theta_mu_var), degrees of freedom (v), and scale (A) and inverse covariance matrix (theta_mu_invar)
- ll_func The log likelihood function used by pmwg for model estimation
- samples A list with defined structure containing the samples, see the Samples Element section for more detail
- grouped Which parameters are grouped across subjects, in this case none
- **sampler_nuis** A sampler list for nuisance parameters (in this case there are none), similarly structured to the overall samples list of one of the MCMC chains.

Samples Element

The samples element of a emc object contains the different types of samples estimated by EMC2. These include the three main types of samples theta_mu, theta_var and alpha as well as a number of other items which are detailed here.

- theta_mu samples used for estimating the model parameters (group level), an array of size (n_pars x n_samples)
- theta_var samples used for estimating the parameter covariance matrix, an array of size (n_pars x n_pars x n_samples)
- alpha samples used for estimating the subject random effects, an array of size (n_pars x n_subjects x n_samples)
- stage A vector containing what PMwG stage each sample was drawn in
- subj_II The winning particles log-likelihood for each subject and sample
- **a_half** Mixing weights used during the Gibbs step when creating a new sample for the covariance matrix
- last_theta_var_inv The inverse of the last samples covariance matrix
- idx The index of the last sample drawn
- epsilon The scaling parameter of the proposal distributions for each subject array of size (n_subjects x n_samples)
- origin From which propoosal distribution the accepted samples in the MCMC chain came, an array of size (n_subjects x n_samples)

Source

<https://www.pnas.org/doi/10.1073/pnas.0805903105>

Description

Returns a set of standardized factor loadings. The standardization considers the residual error as well as described in Stevenson, Heathcote, Forstmann & Matzke, 2024.

Usage

```
standardize_loadings(
  emc = NULL,loadings = NULL,
  sig_err_inv = NULL,
  stage = "sample",
 merge_chains = TRUE
)
```
Arguments

Value

standardized loadings

subset.emc *Shorten an emc object*

Description

Shorten an emc object

Usage

```
## S3 method for class 'emc'
subset(
  x,
 stage = "sample",
  filter = NULL,
  thin = 1,
 keep_stages = FALSE,
 length.out = NULL,
  ...
)
```
Arguments

Value

A shortened emc object

Examples

```
subset(samples_LNR, length.out = 10)
```
summary.emc *Summary statistics for emc objects*

Description

Computes quantiles, Rhat and ESS for selected model parameters.

summary.emc 83

Usage

```
## S3 method for class 'emc'
summary(
 object,
  selection = c("mu", "sigma2", "alpha"),
 probs = c(0.025, 0.5, 0.975),
 digits = 3,
  ...
)
```
Arguments

Details

Note that if selection = alpha and by_subject = TRUE (default) is used, summary statistics are computed at the individual level. to the console but summary statistics for all subjects are returned by the function.

Value

A list of summary output.

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